25-m Telescope Memo No. 79 March 8, 1977

DESIGN GOAL: $\lambda = 0.8 \text{ mm}$

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In order to get the telescope ever funded, we need convincing scientific justifications and a favorable comparison with other existing or planned telescopes. Both items depend crucially on the shortest wavelength, $\lambda = 16 \text{ rms}(\Delta z)$. Some of our recent memos give the impression that our present design goal of $\lambda = 1.2 \text{ mm}(250 \text{ GHz})$ is just a bit marginal, whereas the next atmospheric window, $\lambda = 0.81 \text{ mm}(370 \text{ GHz})$, might give us a really good chance, especially after having decided for Mauna Kea. A discussion of the error budget will show that the <u>only</u> crucial contribution is the manufacturing accuracy of the surface plates. Therefore, we should make it our most urgent task to obtain more accurate plates within reasonable costs. Otherwise, our efforts to achieve homologous deformations, and the money to be spent on the astrodome, would largely be wasted.

I. Remarks about Recent Memos

Memo <u>75</u> (R. Brown). Comparison with other telescopes shows that we have advantages for very short wavelengths only, and the shorter the better. This comparison should be done with more numerical detail, summarized in a <u>Table</u>. A good point is mapping sources at various frequencies above 200 GHz, yielding the transition from hot to cold; but Fig. 1 (Orion) shows clearly that one must go <u>beyond</u> 230 GHz, where just the minimum occurs, and the same follows from Fig. 3.

Memo <u>78</u> (B. Turner). There is too much emphasis on resolution; we then should build an interferometer and not a single dish. Furthermore, the beamwidth does not decrease with wavelength beyond the design limit (beam broadening, high sidelobes); if the telescope is designed for $\lambda = 1.2$ mm, the beam at 0.8 mm will not be 8 arcsec as mentioned, but 15 arcsec, see Section IV. A <u>Table</u> should be added with the molecular line frequencies for 200 - 400 GHz, indicating their individual relative importance. Memos <u>69</u> (C. Wade) and <u>76</u> (L. Rickard). The site selection was heavily influenced by frequencies \geq 230 GHz, both memos giving comparison tables up to 345 GHz. After having followed this line of thought, we should really make it stick by pushing our design goal to at least 345 GHz.

II. The Surface Errors

Appendix A is a copy of the error budget from our 25-m Proposal of Sept. 1975; the numbers have not been changed meanwhile. There are two items sticking our far beyond all other contributions: the manufacturing accuracy of the surface plates (40 μ m), and measuring the telescope surface (40 μ m); the next large item is the subreflector (25 μ m), while all the other ten items are smaller (< 16 μ m).

The measuring technique will surely improve during the next years, and even after the telescope has been in operation any new technique can still be applied, whereas resurfacing a telescope is very expensive. At present we need some estimate as to what a good measuring technique might yield in the future (after five or more years). This is done in Appendix B, with the result

measuring rms error (> 1982) =
$$15 \mu m$$
. (1)

The remaining urgent question is: how good a surface can we get for reasonable means? At present, I will turn the question around and ask: how good a surface do we need for the next atmospheric window? The next window (von Hoerner, Astronomy and Astrophysics, <u>41</u>, 301, 1975) covers the range $\lambda = 0.7$ to 0.9 mm. Adopting $\lambda = 0.8$ mm as the center, and demanding a total rms of $\lambda/16 = 50$ µm, we find from the error budget including change (1) that the plate error should be 23.3 µm. Using a round number, we then have the goal

plate manufacturing rms error =
$$25 \ \mu m$$
. (2)

Assuming this to be possible, results and remarks are summarized in Table 1. With the old values for surface measuring and plate manufacturing, a good deal of our previous engineering effort, and of the money to be spent for the astrodome, would plainly be wasted.

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	ltem rms(Δz)		Remarks	
1.	Gravity	<u></u>		
	surface plates 12 7		We have spent many years of engineer-	
	panel structures 7 21.	2	ing effort, to approach homologous	
	backup structure 16		deformations better than anyone else.	
2.	Thermal			
	surface plates 16)		We are willing to spend about 4 M\$ for	
	panel structures 2 20.	7	the astrodome, to keep day performance	
	backup structure 13		equal to night performance.	
3.	<u>Wind</u> (Ventilation)			
	surface plates 1		(We might ventilate stronger, to reduce	
	panel structures 1 2 1.	7	thermal deformations even more.)	
) backup structure 1			
4.	<u>Others</u>			
	plate setting 15	•		
	subreflector 25 \int 29.	2	(Could we get a better subreflector?)	
	subtotal = 41.6 μm			
5.	To be reduced (old)	(new)		
	surface measuring 40	15	See Appendix B.	
	plate manufacturing 40	25	Most urgent present task.	
	total rms = 70.2	50.9 µm		
	λ = 16 rms (Δz) = 1.12	0.81 mm	Center of next atmospheric window.	
λ =	0.81 mm $e^{-(4\pi \text{ rms}/\lambda)^2} = 30.5\%$	53.6%	Efficiency almost doubled, factor 3.0	
ν =	370 MHz J		in obs. time.	

<u>Table 1</u>. Old and new error budget (rms surface error, in μ m)

Demand (2) could actually be somewhat <u>relaxed</u>, if we could get a more accurate subreflector ($\leq 20 \ \mu$ m, say) which makes sense because a small accurate surface is cheaper than a large one, and if thermal deformations could be reduced by stronger ventilation. Furthermore, in the past we demanded that the specified plate error is the rms of the deviations Δz from a paraboloid going through the four plate corners. But if (2) cannot be met this way, we may only demand that $rms(\Delta z - \overline{\Delta z}) \leq 25 \ \mu$ m, although this is rather inconvenient for the plate setting, and gives away one of our "safety factors".

III. Cost Comparison

Appendix C gives the present detailed cost estimate, including some changes suggested by D. Heeschen on Feb. 24, 1977. The total cost for Mauna Kea is 17.100 M\$; of which the telescope itself is 3.427 M\$, of which the surface plates are 1.371 M\$. If it is crucial to go to the next atmospheric window, one might be willing to pay somewhat more for a better surface.

Memo <u>33</u> (W. Y. Wong, Oct. 1975) gives an interesting report of a trip to various firms. For example, Mechanical Specialities quote cost increase factors for various accuracies beyond their "standard" accuracy of 64 μ m. From a log/log plot I derive:

from	to	cost factor	
64	40 µm	3.32	(2)
40	25 µm	2.40	(3)

But since the whole step, from 64 to 25 μ m, would be a factor of 8.00, it just means that some different manufacturing method should be chosen.

Tinsley mentioned that they could make a subreflector for 12 k\$ with 50 μ m peakto-peak, which would be about 12 μ m rms. This should be further investigated. If Leighton's total rms is 50 μ m, then his plates must be at least as good as 30 μ m. His low cost is difficult to understand; should we investigate some more? Aeronutronic have three panels made and measured, with 41, 28, 20 μ m rms, amounting to an average of 30 μ m, almost good enough for our demand (2). Table 2 summarizes some of the numbers

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	rms(∆z) µm	cost \$/ft ²
Aeronutronic	30	100
Leighton	30	12
Tinsley	12	725
25-m design	40	260
British 15-m	20	299

Table 2. Comparisons for surface plates.

from Memo 33 (which of ocurse are only rough unconfirmed estimates), together with our 25-m design for $\lambda = 1.2$ mm, and the British 15-m design for $\lambda = 0.80$ mm. Some more of the British cost estimates (of Nov. 1976) are given below, with $1 \notin = 1.714$.

IV. The Beamwidth

Surface errors (Δz) will degrade the gain (factor g < 1, say) as well as the beamwidth (factor b > 1). If no energy is lost into sidelobes or far-off scatter, then

$$b^2 g = 1.$$
 (5)

Since

$$g = e^{-(4\pi \Delta z/\lambda)^2}$$
(6)

the beam is broadened by the factor

$$b = e^{\vartheta(\pi \Delta z/\lambda)^2}.$$
 (7)

At the design limit, $\lambda = 16 \Delta z$, this factor is

$$b = e^{\pi^2/32} = 1.36.$$
 (8)

In general, the half-power beamwidth, β , is given by

..

$$\beta = 1.2 \frac{\lambda}{D} e^{8(\pi \Delta z/\lambda)^2}.$$
 (9)

These relations have been confirmed recently, by measuring the gravitationally deformed beamshape and degraded gain of the 140-ft (Engin. Report 103, Feb. 1977), except for a sidelobe containing 10% of the energy, which we shall neglect at present. From (9) we then derive, for the old and new surface errors:

$\Delta \mathbf{z}$		β (arcsec)		
(µm)	$\lambda = 1.2 \text{ mm}$	$\lambda = 0.81 \text{ mm}$	$\lambda = 0.70 \text{ mm}$	
(old) 70.2	15.6	14.5	15.3	(10)
(new) 50.9	13.7	10.9	10.5	

It should be mentioned that the permitted pointing error $\Delta \phi$, for the new design goal of Δz = 50.9 µm, then is for any short wavelength

$$\Delta \phi = \begin{pmatrix} 1.0 \text{ arcsec, demanding } \Delta \phi = \beta/10, \\ 1.7 \text{ arcsec, demanding } \Delta \phi = \beta/6. \end{cases}$$
 (11)

Appendix A shows the estimated pointing error of our 25-m Proposal, with $\Delta \phi = 0.7$ arcsec, which still is very low even for our new design goal.

Appendix A.

Table III.1 (25-m Proposal, Sept. 1975)

	Open			Enclosed
	Noon Night			
	Calm, Sun	Calm	30 km/h wind	10 km/h wind
Surface Errors	(µm)	(µm)	(µm)	(µm)
Surface Plates	259	73	61	62
Manufacture	40	40	40	40
Gravity	12	12	12	12
Setting	15	15	15	15
Measurements	40	40	40	40
Thermal	252	42	7	16
Wind	-	-	10	1
Panel Structure	29	9	9	7
Manufacture & Gravity	7	7	7	7
Thermal	28	5	1	2
Wind	-	-	5	1
Backup Structure	212	39	20	21
Assembly & Gravity	16	16	16	16
Thermal	211	36	6	13
Wind	-	-	11	1
Subreflector	25	25	25	25
Manufacture & Gravity	25	25	25	25
1) Total Error	337	87	70	70
Pointing Errors	(Seconds or arc)	(Seconds of arc)	(Seconds of arc)	(Seconds of arc)
Servo and Drive	0.5	0.5	0.5	0.5
Thermal	6.3	1.1	0.0	0.4
Wind	-	-	3.2	0.3
Total Error 1)	6.3	1.2	3.2	0.7

Mechanical Performance of the 25-meter Telescope

1) Total error is the quadratic sum of the individual, uncorrelated, rms errors.

Appendix B: Future Surface Measuring Error

In Memo <u>68</u> (Jan. 1977) John Findlay suggested a stepping method which looks very promising. It was tested in Memo <u>70</u> with good results. What could the final accuracy be, after several years?

Single Step Error. Findlay discusses the Schaevitz inclinometer with about 1 arcsec accuracy, and an (improvable) 16-bit A/D converter with 1.6 arcsec/bit. This adds up to about $\Delta \theta = 2$ arcsec. If the earliest chance for getting funds is 1979, and if it takes three years for detailed design and building, we have at least five years to improve the method; and, in any case, it still could be improved thereafter. It seems reasonable to assume a final accuracy of, say,

$$\Delta \theta = (1.0 - 1.5) \text{ arcsec.}$$
 (B1)

<u>Edge Error</u>. Findlay suggests for practical reasons N = 25 measuring points per radius. This is 3 points per radius per panel, with a cart length of L = 50 cm. The edge error, at the rim of the telescope, then is

$$\Delta z = L \Delta \theta \sqrt{N} = 12.1 \Delta \theta \mu m/arcsec, \qquad (B2)$$

or, with (B1)

$$\Delta z_{a} = (12 - 18) \ \mu m.$$
 (B3)

<u>Weighted Rms-Error</u>. At distance r from the center, $(\Delta z)^2 \nleftrightarrow r$. As for the weights, the area goes with r, and the illumination shall be assumed parabolic, $(1 - r^2)$. The total weight thus is $(r - r^3)$, and

$$\overline{(\Delta z)^2} = (L \ \Delta \theta)^2 \ N \int_0^R (r^2 - r^4) dr / \int_0^R (r - r^3) dr = \frac{8}{15} (\Delta z_e)^2$$
(B4)

or

$$rms(\Delta z) = 0.730 \ \Delta z_e. \tag{B5}$$

With (B3) we have

$$rms(\Delta z) = (9 - 13) \mu m,$$
 (B6)

and, leaving some contingency, we finally adopt for the future error, in five years,

$$rms(\Delta z) = 15 \ \mu m. \tag{B7}$$

Appendix C, 1

25 - Meter Telescope

Cost Categories (Thousands of 1976 Dollars)

		<u>Kitt Peak, AZ</u>	<u>Mauna Kea, HI</u>		
Development Cost					
Design 1-A-D	1046	10/6			
Consultant Fees 8-D	1040	19			
Surveys and Soil Tests 8-H		25	35		
		1071	1100		
Telescope Installation					
Telescope Installed 2-4-0		22/2	0/07		
Astrodome Installed 3-A-T		3343	a) (112 a 913		
Water, Grading, Power, Road and Telephon	es 4-A B C F 8-C	30/4	*) 4113 361 3		
Construction Salaries and Travel (Include	es Some Design Cost) 8-B. F. T. I. K. I.	793	1613		
······································		8167			
Requirements for Operation (Assets)			 		
Dormitories, Labs, Offices, Auviliary Por	wer 4-D F C	607	1100		
Telescope Controls. Interfaces, Cabling.	and One Receiver 5-4 C D F F C	607	1128		
Computers 6-A-J		331	405		
•		$\frac{331}{1403}$	$\frac{331}{1924}$		
Populromento for Operation (Control or 1)		_			
Operations)	Expense Items which Normally Are Paid Out	of			
Three Cooled Receivers and Test Equipment	t 5-A, B	570	6) <u></u>		
Freight, Employee Relocation, Salaries fo	or Electronics Construction 8-A. E. G	288	597		
Machine Shop, Tools, Various Equipment, 1	Furniture, Supplies, Etc. 7-A-U	298	987		
		1156	2514 1584		
	Sub Total	11797	13343 14 115		
Possible Cost Changes	Meeting Feb. 24, 1977,				
20% Contingency	according to Heeschen:	2250	anco 1419		
Foundations, Housing, Vehicles 9-A-C		0	1473		
Cost Changes With 36' Shutdown 10-A-I	a) No range calibration	(295)	100		
	6) Omit relivers	13861	19987 17100		
	$()$ $(b^{2}b)$ California (1)				
		77 0	2 08		

25 - Meter Telescope

Appendix C, 2. 2. Telescope Installed (Thousands of 1976 Dollars)

			<u>Kitt Peak, AZ</u>	<u>Mauna Kea, HI</u>
A.	Surface Plates		1371	Same
B.	Intermediate Panels		304	S
c.	Feed Support		78	S
D.	Subreflector		46	S
E.	Backup Structure		503	S
F.	Counterweights		43	S
G.	Bearings and Drive		461	S
н.	Servo		257	S
I.	Tower Structure		242	S
J.	Foundation and Track		238	288
ĸ.	Ladder and Walkway		33	S
L.	Control Cabling		55	S
м.	Painting		72	S
N.	Final Setting System		85	S
0.	Freight		1	35
	S	ub Total	3789	3873
P.	Telescope Design		(417)	(417)
Q.	Foundation Design		(29)	(29)
		Total	3343	3427